# Accuracy Errors in Longitudinal QCT Measurements of Cortical Thickness, Bone Mineral Density (BMD) and Bone Mineral Content (BMC) using Different Segmentation Techniques

# B. Gerner, D. Töpfer, O. Museyko, K. Engelke

Institute of Medical Physics (IMP), University of Erlangen-Nuremberg

### Introduction

Cortical and trabecular bone compartments can be quantified separately using quantitative computed tomography (QCT). However, due to limited spatial resolution of the CT equipment, the determination of the cortex depends on the segmentation technique. In our work, we simulated independent changes of cortical thickness and bone mineral density (BMD) and investigated the ability of three different segmentation techniques to measure these changes.



### **Material and Methods**

#### Simulation of image acquisition:

A step function of varying width (cortical thickness,  $t_c$ ) and height (BMD<sub>c</sub>) represents the cortex. An additional step was used to include trabecular bone. The resulting step profile describing the density distribution form soft tissue to the trabecular compartment was convolved with a Gaussian distribution (fig. 1) representing the point spread function (PSF) of the CT scanner. The resulting curve simulates the density distribution within a reconstructed CT image. Finally a noise level of 30 mg/cm<sup>3</sup> was added.

#### Estimation of cortical thickness:

Three different algorithms were used to estimate cortical thickness  $t_c$ :

- Local adaptive 50% threshold (LAT)<sup>1</sup>
- Global threshold (GT): 400 mg/cm<sup>3</sup> for cortex/soft tissue and 300 mg/cm<sup>3</sup> for cortex/trabecular bone
- Optimization Method (OM): model-based deconvolution method



Figure 1: PSF was assumed to be a Gaussian distribution. The full width at half maximum (FWHM) corresponds to the scanner resolution.



Figure 3: Increase of  $t_c$ ,  $\Delta BMD_c = 0$ . Mean values of measured  $\Delta t_e$  (first row),  $\Delta BMD_e$  (second row) and  $\Delta BMC_e$  (third row) as a function of  $t_c$  / FWHM for an assumed increase in  $t_c$  of 5% (left), 10% (center) and 20% (right).



using Levenberg-Marquardt algorithm<sup>2</sup>

#### Simulated parameters:

Effects of independently simulated changes of

**1. Cortical thickness t\_c:** longitudinal increase of 5%, 10% and 20%

**2. Cortical BMD**<sub>c</sub>: longitudinal increase of 2.5%, 5% and 7.5% on measured parameters  $\Delta t_e$ ,  $\Delta BMD_e$  and  $\Delta BMC_e$  were investigated. Each profile was simulated 200 times and the mean values of these parameters calculated.





Position [mm]

Figure 2: True and measured BMD profile for two different tc and BMDc values. Also shown are the positions of the endosteal and periosteal surface estimated using LAT (green) and GT (blue). The fitted curve calculated using OM is shown in red.

### Results

The results for an **increase of**  $t_c$  are shown in fig. 3.

- All three algorithms show good results for  $t_c > 2FWHM$ .
- The results for FWHM <  $t_c$  < 2FWHM show:
  - LAT and GT underestimate  $\Delta t_e$ ; OM shows the best results.
  - LAT and GT shows better results for  $\Delta BMC_e$  than OM.
- All three algorithms result in falsely estimated  $\Delta BMD_e$  values. The results for an **increase of BMD**<sub>c</sub> are shown in fig. 4.
- All three algorithms show good results for  $t_c > 2FWHM$ .
- The results for FWHM <  $t_c$  < 2FWHM show:
  - All three algorithms result in falsely estimated  $\Delta t_e$  values.
  - LAT and OM show better results for  $\Delta BMC_e$  than GT.

• GT underestimate  $\Delta BMD_e$ ; LAT and OM show the best results. This work was supported by the Bundesministerium für Bildung und Forschung (BMBF, Project ANCYLOSS). Figure 4: Increase of  $BMD_c$ ,  $\Delta t_c = 0$ . Mean values of measured  $\Delta t_e$  (first row),  $\Delta BMD_e$  (second row) and  $\Delta BMC_e$  (third row) as a function of  $t_c$  / FWHM for an assumed  $BMD_c$  increase of 2,5% (left), 5,0% (center) and 7,5% (right).

# Discussion

- For  $t_c > 2FWHM$  all algorithm show good results in measuring  $\Delta t_{e_i} \Delta BMD_e$ and with some limitations also in measuring  $\Delta BMC_e$ .
- For **FWHM <** *t*<sub>c</sub> **< 2FWHM**:
  - LAT and GT underestimate  $\Delta t_e$ , here OM works best.
  - For all methods true  $t_c$  increases result in incorrect increases of  $\Delta BMD_e$ . In particular OM also measures incorrect increases of  $\Delta BMC_e$ .
  - For GT true BMD<sub>c</sub> increases result in incorrect increases of  $\Delta t_{\rm e}$  and  $\Delta {\rm BMC}_{\rm e}$ .
- For  $t_c < FWHM$  due to high variances (not shown in graphs), results for  $\Delta t_e$ ,  $\Delta BMD_e$  and  $\Delta BMC_e$  are not reliable.

<sup>&</sup>lt;sup>1</sup> Prevrhal S et al. Accuracy limits for the determination of cortical width and density: the influence of object size and CT imaging parameters. Phys Med Biol. 1999;44(3):751.

<sup>&</sup>lt;sup>2</sup> Treece G et al. High resolution cortical bone thickness measurement from clinical CT data. Med Imag Anal. 2010;14(3):276 – 290.